

Non linearity in CCD detection

Intermission on the way to Picard Sodism L1 products

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1. Successive restorative steps of instrumental correction

1. From the Level 0 to Level I_{k+1} data products
2. The unwanted components in the signal of a pixel
3. Put the corrections in sequence!

From the Level 0 to Level 1_{k+1} data products

- Instrumental corrections:
 - Condition the scientific objectives
 - Especially in the fields of metrology/astrometry when accuracy and/or precision prevail
 - Bring instrumental diagnostics
 - To convert Level 0 (= formatted & informed TM) into Level 1 products (= corrected for instrumental flaws), we must:
 1. Elaborate a correction method
 2. Compute its calibration elements
 - E.g. the parameters of a non-linearity function
 3. Process the data products provided by the previous correction stage
- ☐ The above cycle actually applies from Level 1_k to Level 1_{k+1} , i.e. several times!

What are we talking about?

List of instrumental effects in the Picard Sodism solar space telescope

Additive

- Offset
- Dark signal
 - Hot pixels
- Cosmic ray hits
- Ghost images

Multiplicative

- Optical flatfield
 - incl. vignetting
- Detector flatfield
- Non linearity of the detection

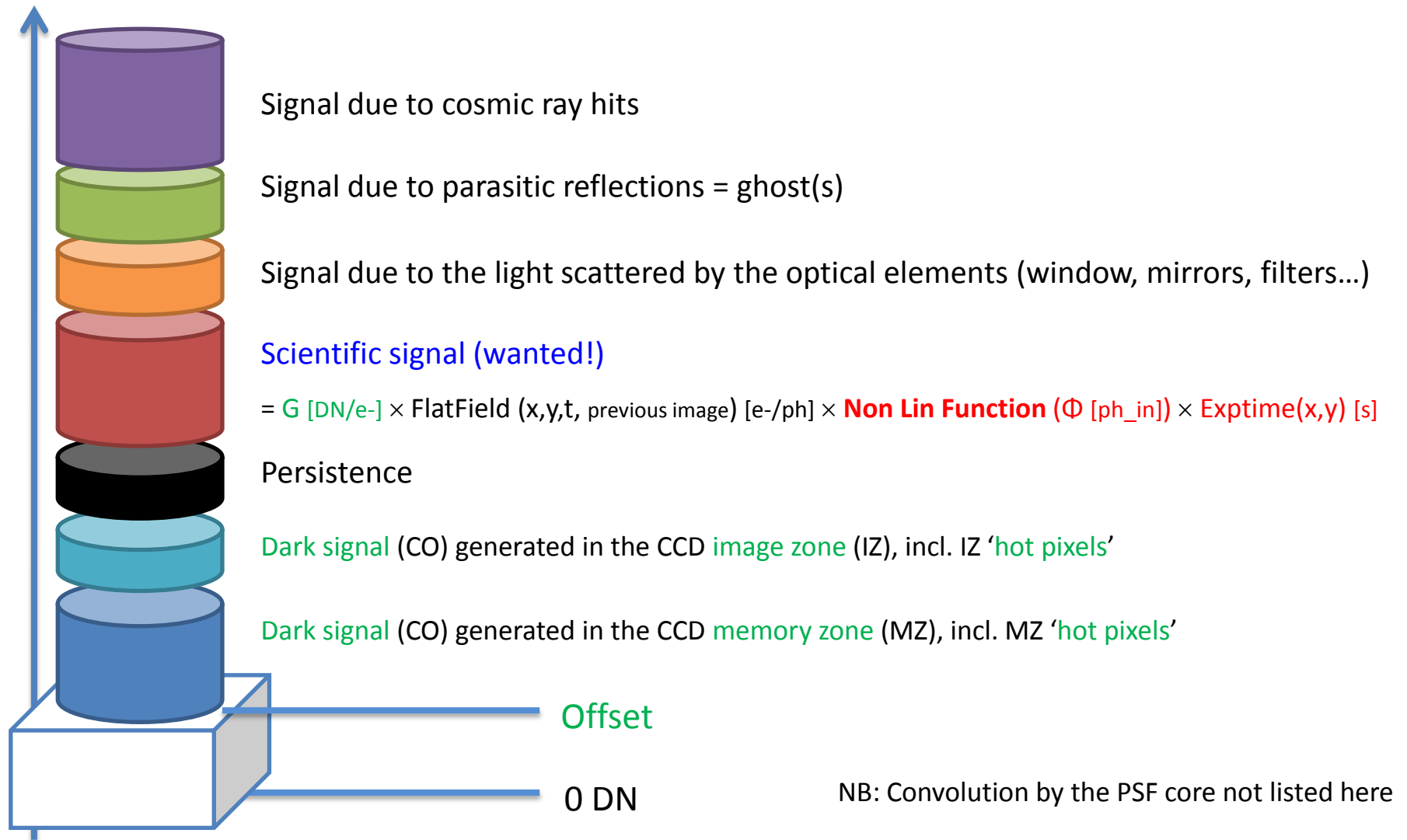
Convulsive

- PSF
 - Scattered light
 - Kinematic blur
 - Optical aberrations (defocus...)
- Persistence / hysteresis
- CCD charge transfer efficiency

Other

- Distortion (anamorphosis)

Components in the pixel signal



Put the corrections in the right sequence!

- The corrections ought to apply in “some” order...

- They must proceed from **back to front**

1. DN or ADU ↙
2. Detected e^- ↙
3. Detected photons ↙
4. Incident photons ↙
5. *etc.*

- Typically, one cannot address optical effects with data that are still tainted by detection flaws.
 - In principle.
 - Might be OK for the spadework

Preferred sequence

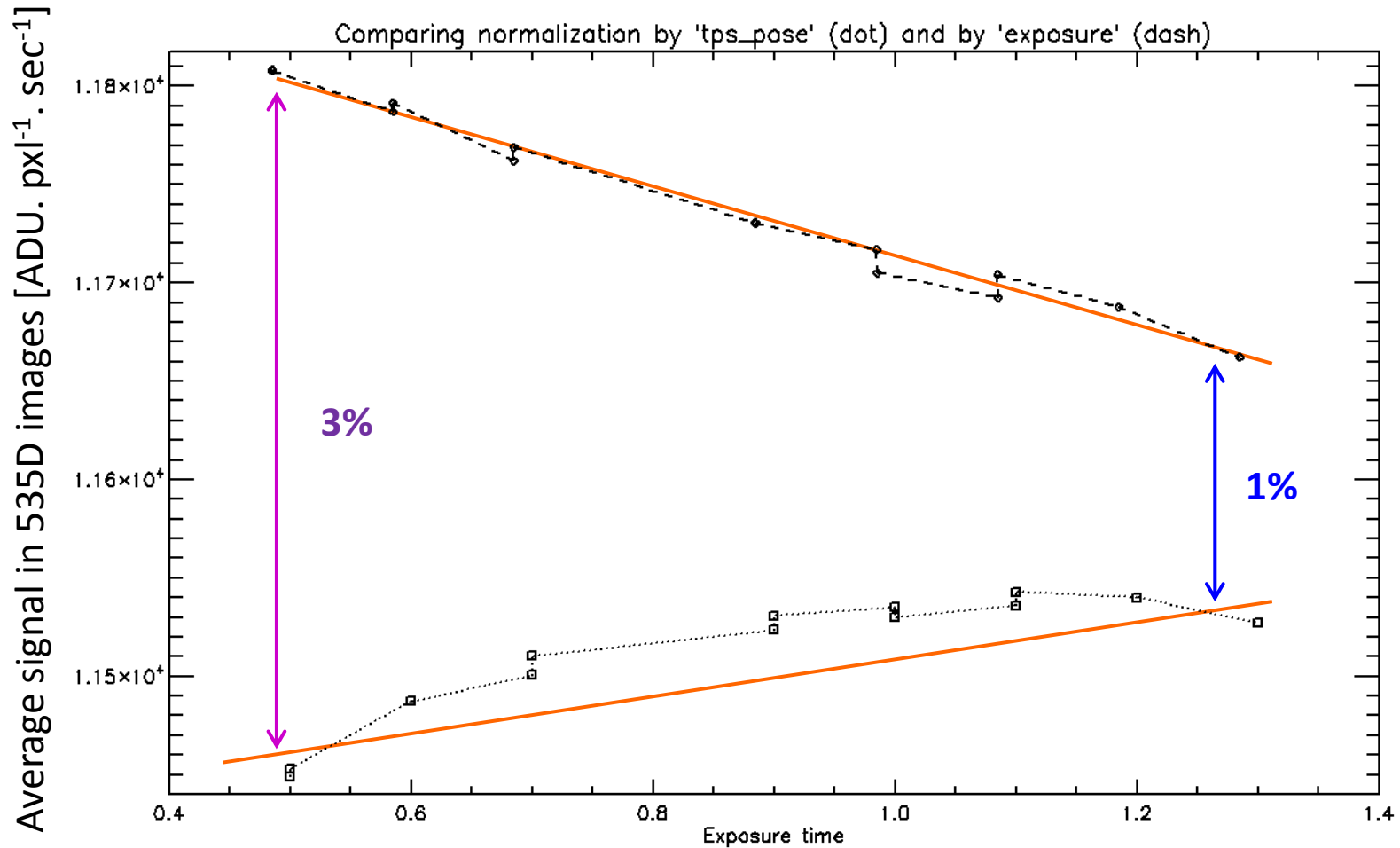
1. Offset
2. Cosmic ray hits
3. Dark signal and hot pixels
4. Non linearity
5. Detector flatfield
6. Persistence
7. Ghost
8. PSF (aberrations and scattered light)
9. Optical flatfield
10. Distortion
11. ...

Sub-levels L_{k+1} after each

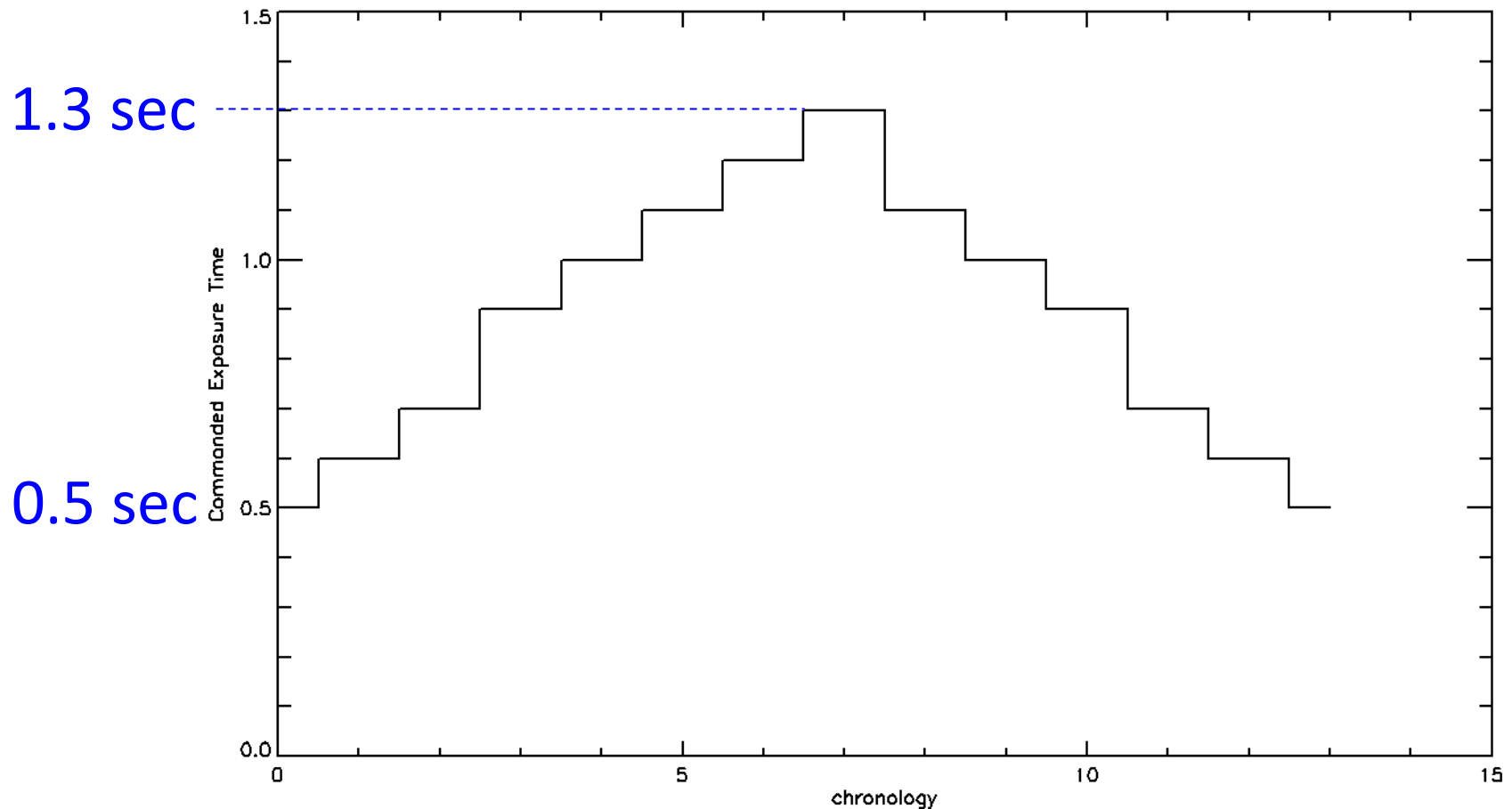
2. Non Linearity due to shutter kinematics

1. **Evidencing the problem**
2. **Observational campaigns of exposure time variations**
3. **Modeling the shutter kinematics**
 - a. **Parameterized modelization**
 - b. **Inversion of the geometrical configuration**

Non linearity seen during *exposure time variation campaigns*



Chronology of commanded exposure times



14 stages, from #0 to #13

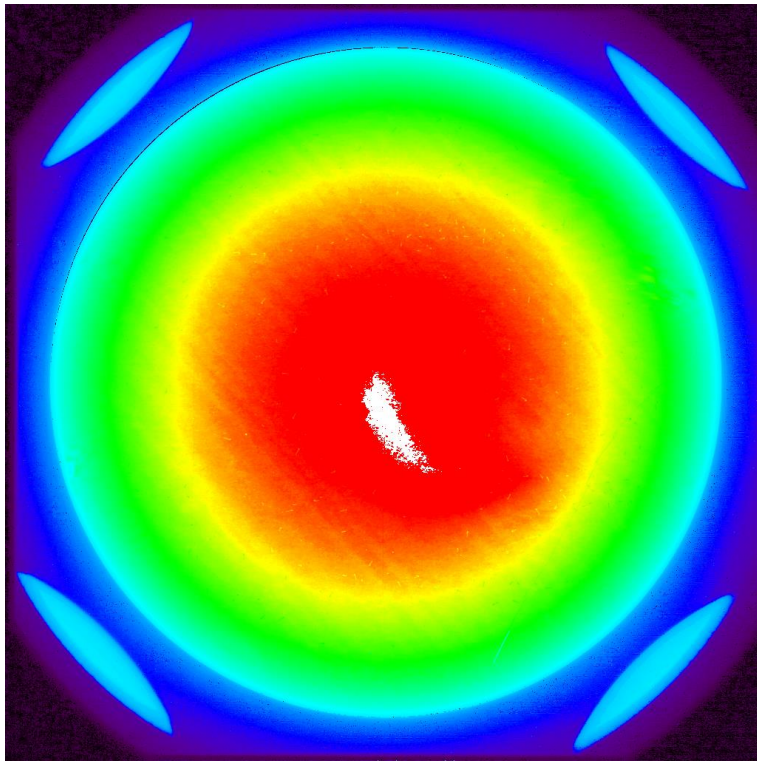
Exposure time variation campaign

March 22., 2011 @535D

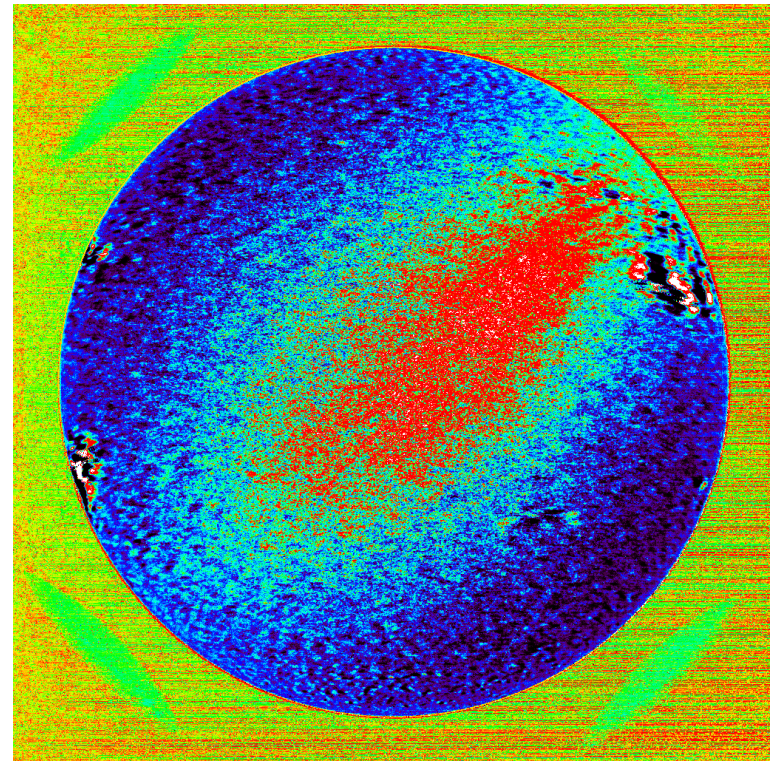
Let's first **assume a fully linear model w.r.t. exposure time:**

$$\text{Signal}(pxl = i, \text{Commanded exposure} = T_j) = \varphi_i T_j + \text{Offset}_i$$

φ_i and Offset_i obtained by robust linear regression at each pxl

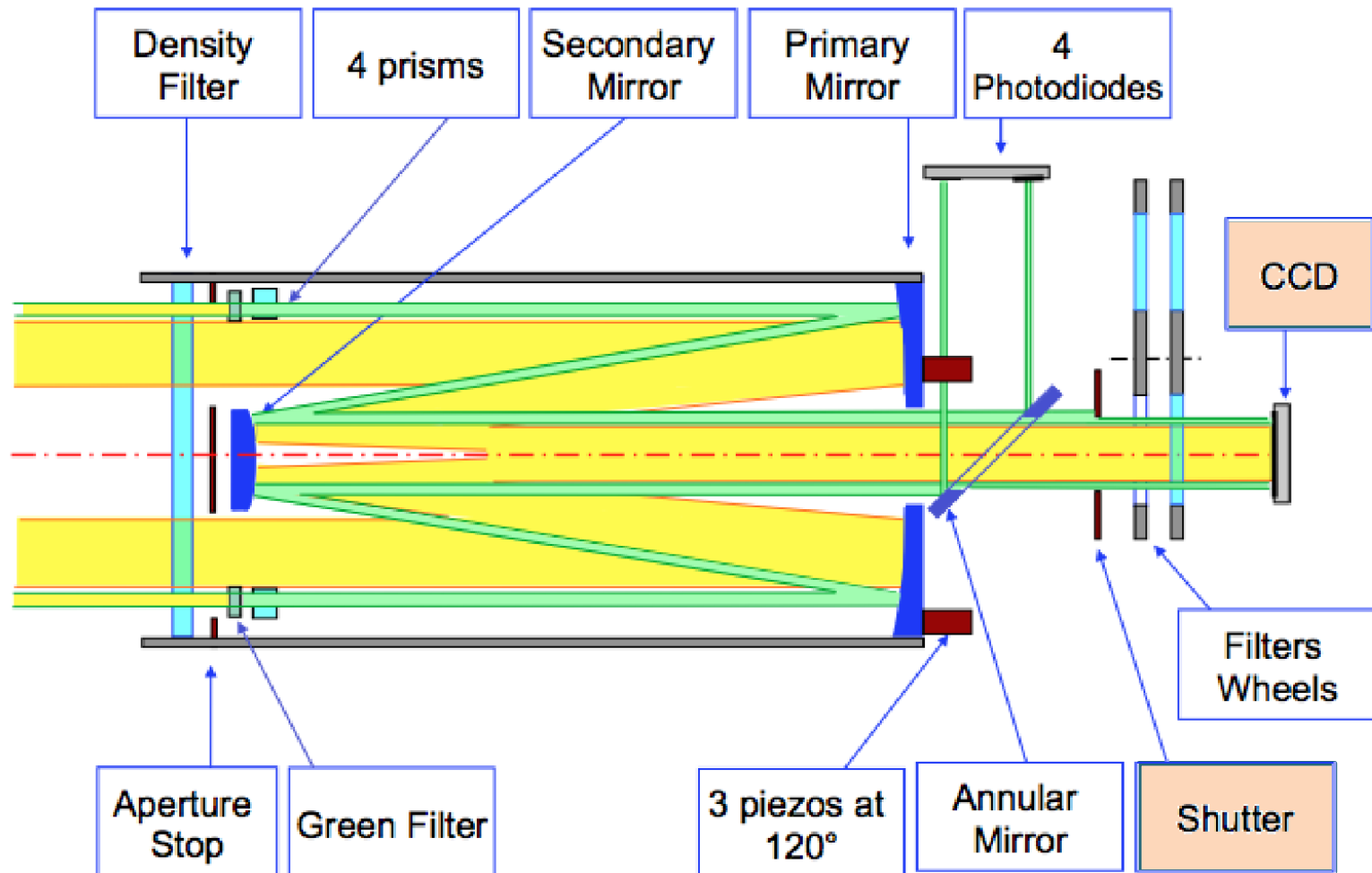


Flux image φ_i



Offset image

Optical scheme



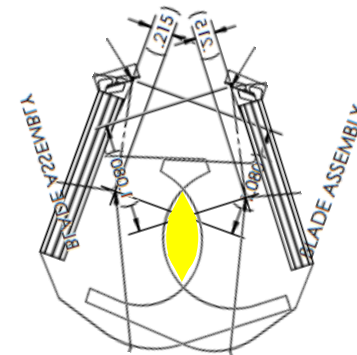
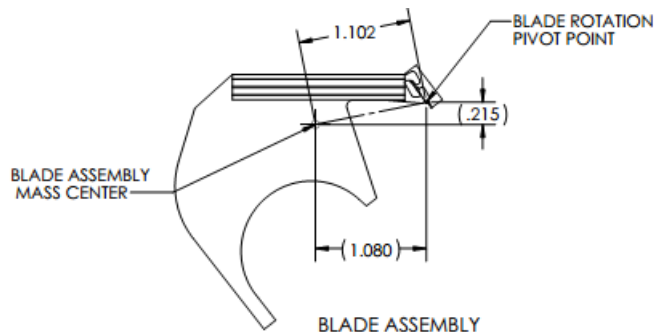
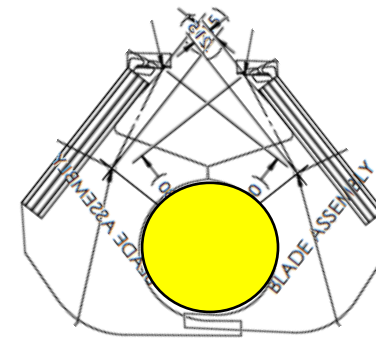
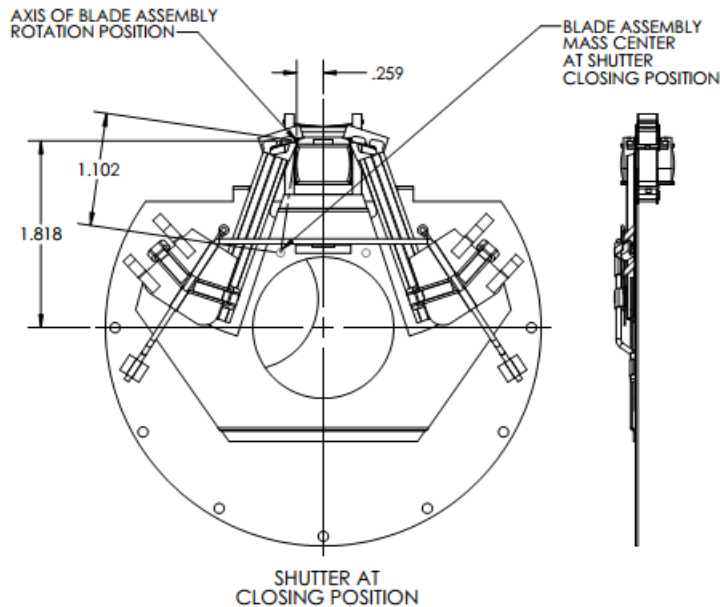
2.3 Modeling the shutter kinematics

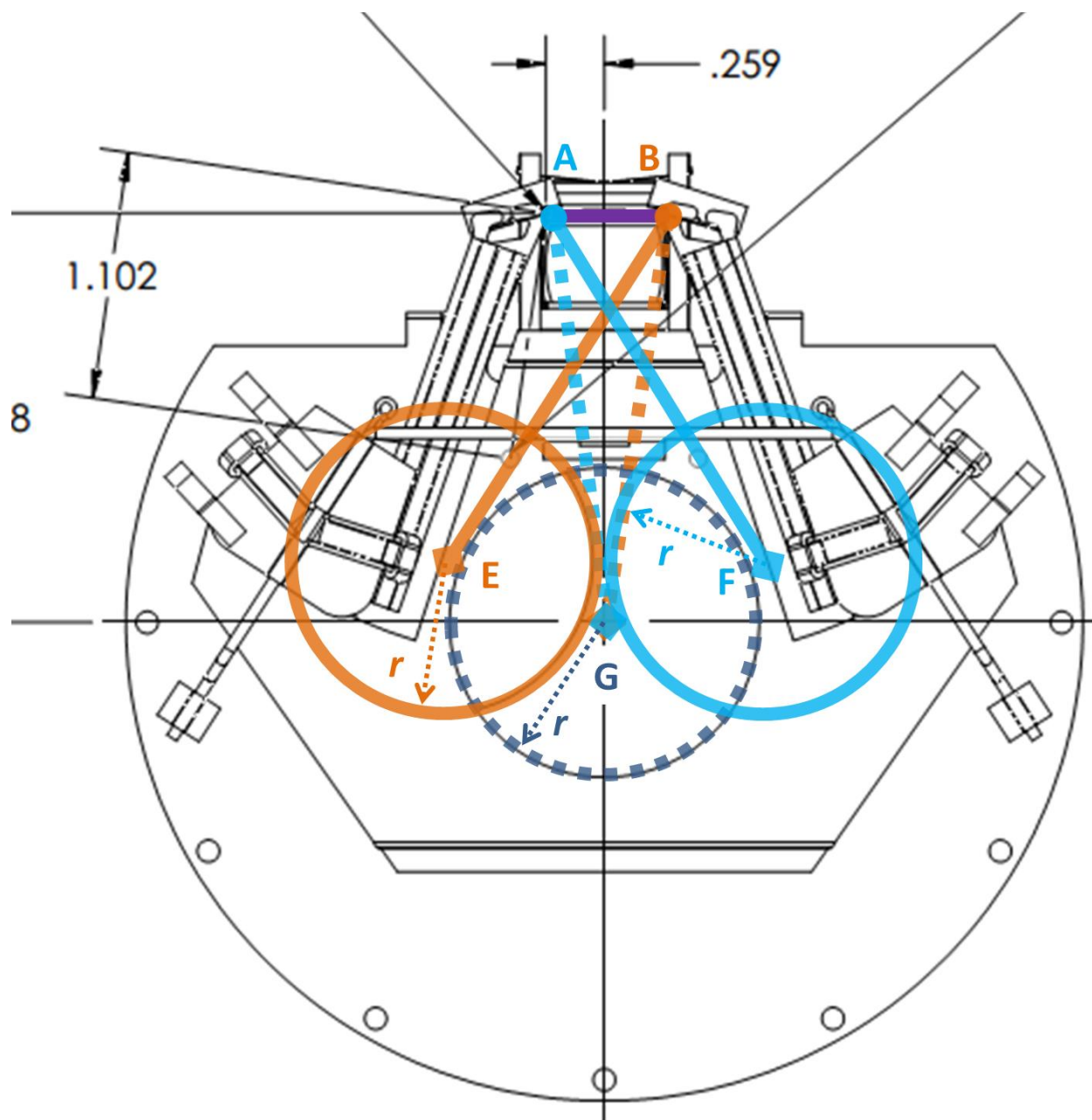
1. Exposure time is *non* homogeneous over the field
2. Six unknown parameters
3. Solution and result

Effect of a not-so-swift electromechanical shutter

Most geometrical parameters are known

Much information resides in the Uniblitz/Vincent Associates drawings



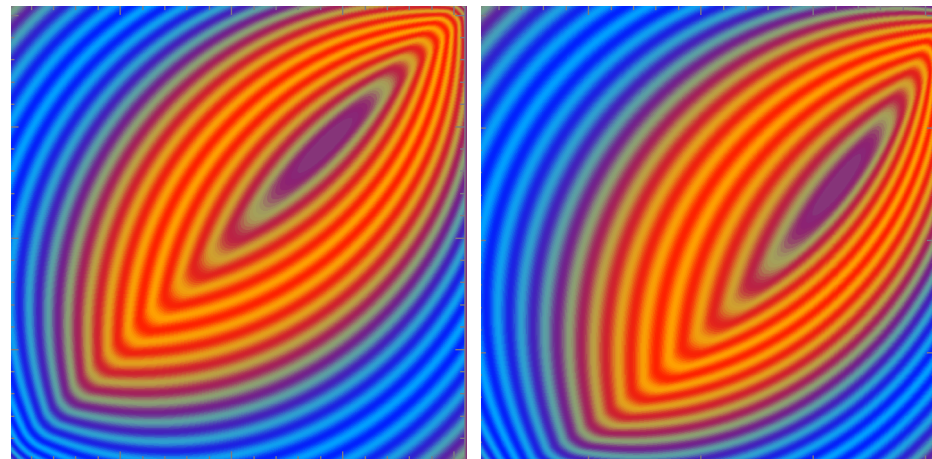
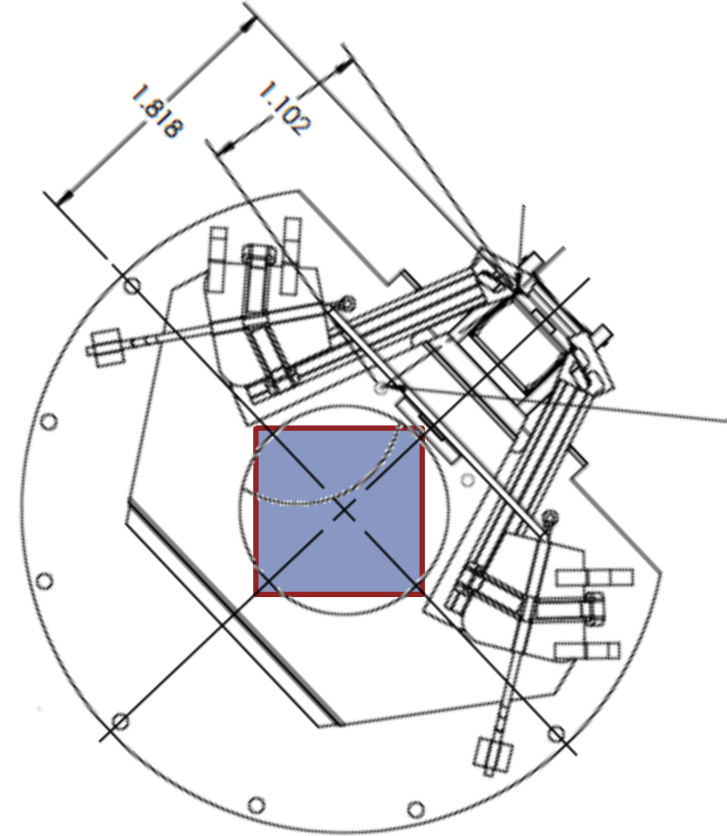


6 Unknowns parameters

- Relative centering of CCD vs. shutter
 - x_0 & y_0
- Tilt of the overall shutter system
 - θ_0
- Speed of each blade
 - Reference blade : κ
 - Relative speed of the other blade : ζ
- Delay between header exposure time and actual motion
 - τ_0

Only 4 parameters needed to generate a map of extra exposure time

$$x_0, y_0, \theta_0, \zeta \rightarrow \gamma_i$$

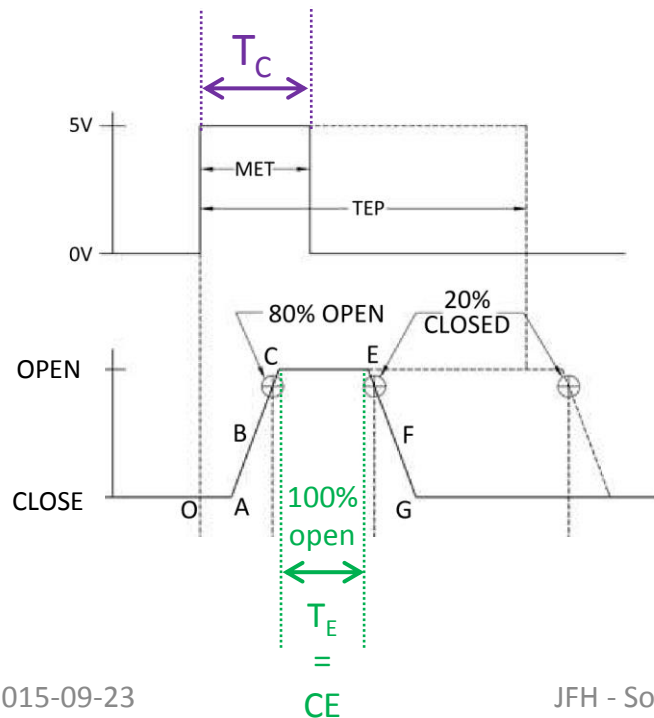


Estimation of the unknown geometrical parameters

$$\text{Signal}(\text{pixel} = i, \text{Commanded exposure} = T_j) = \varphi_i \times [T_j + \tau_0 + \kappa \gamma_i] = \varphi_i T_j + \text{Offset}_i$$

$$\text{Offset}_i / \varphi_i = \tau_0 + \kappa \times \gamma_i(X_0, Y_0, \theta_0, \zeta)$$

$(X_0, Y_0, \theta_0, \zeta, \tau_0, \kappa)$ estimated by minimizing χ^2 in the above linear regression



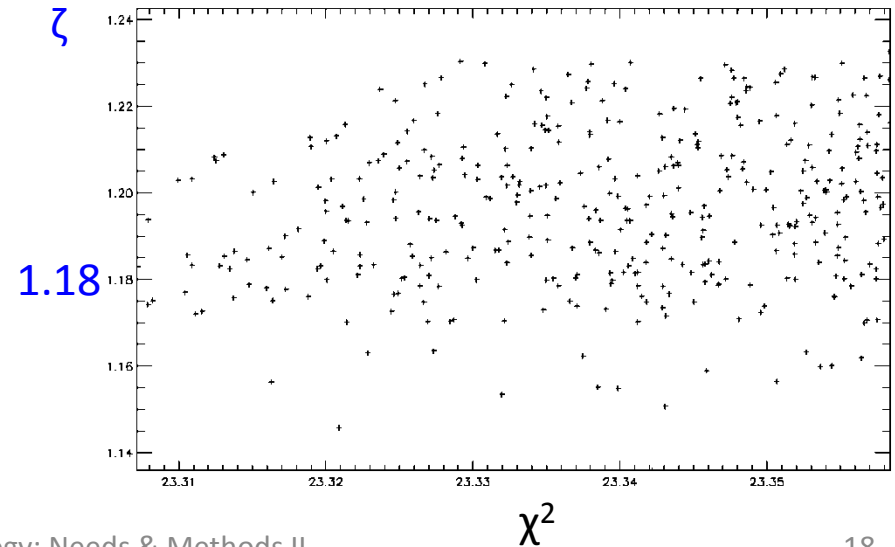
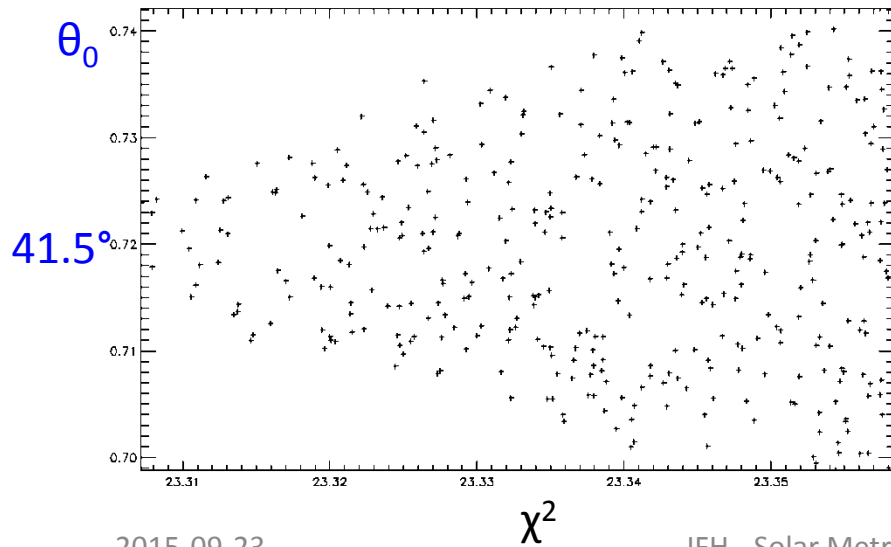
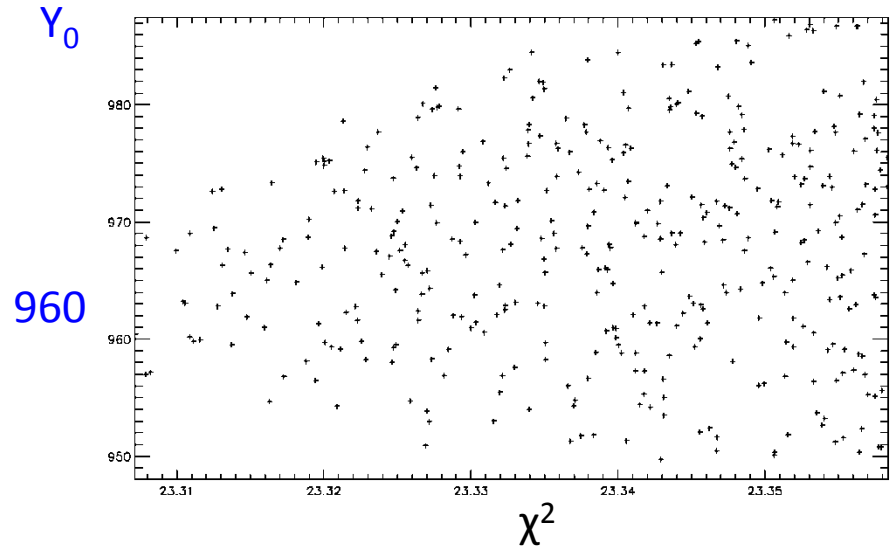
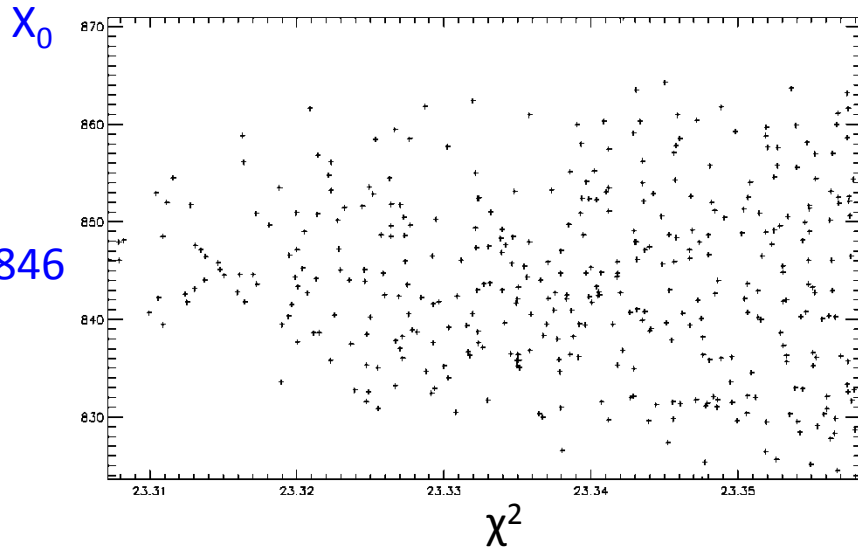
Origin of τ_0

T_C = commanded exposure time

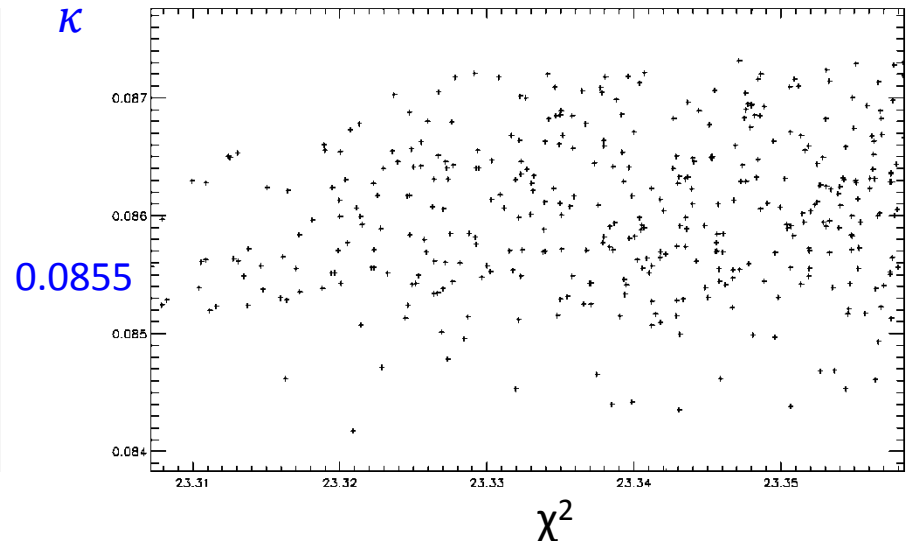
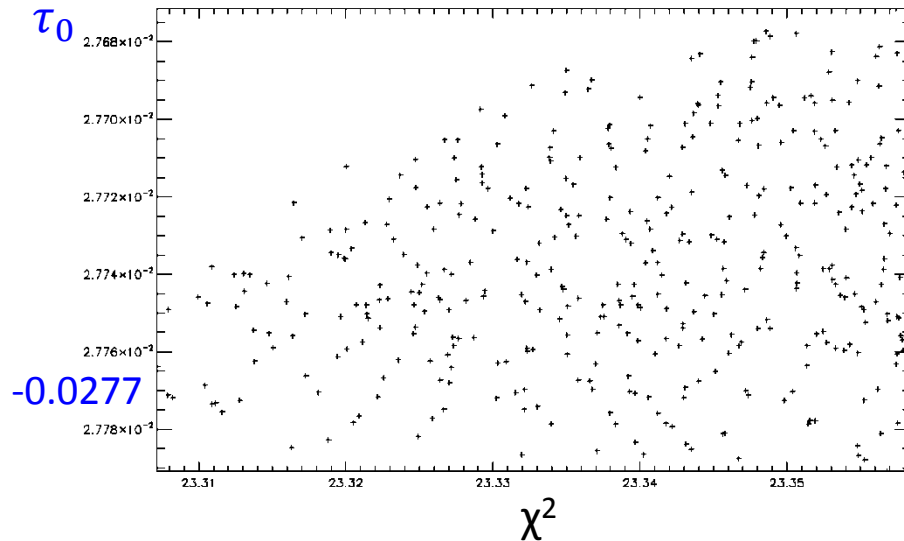
T_E = duration of the 100% open configuration

$$\tau_0 = T_E - T_C$$

Chi square minimization [1/2]



Chi square minimization [2/2]



$$\theta_0 = 41.5^\circ$$

$$X_0 = 846 \text{ pxl}, Y_0 = 960 \text{ pxl}$$

$$\kappa = 85,5 \text{ ms.rad}^{-1}$$

$$1/\kappa = 11.7 \text{ rad.s}^{-1} = 111.6 \text{ rpm}$$

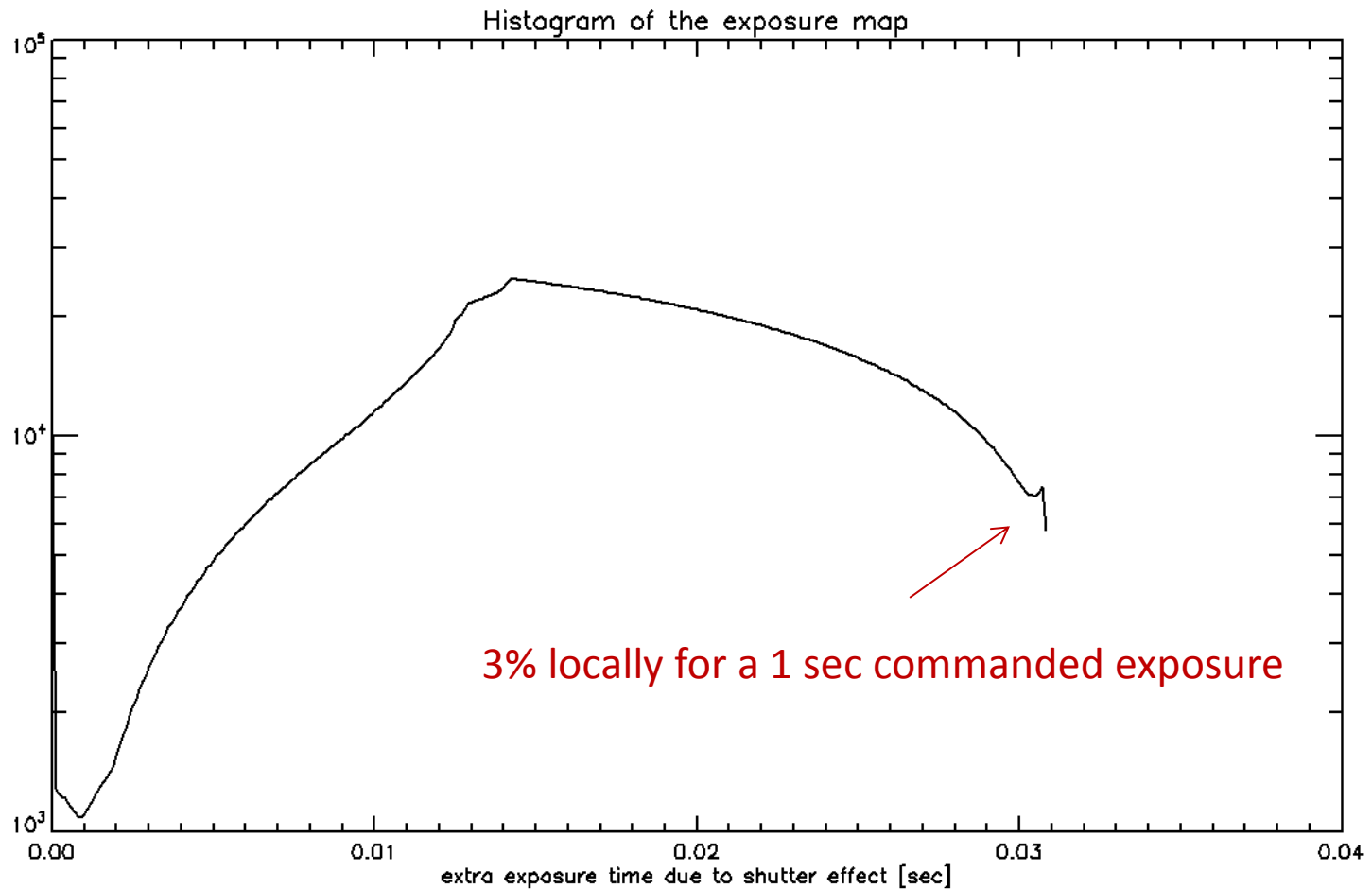
$$\zeta = 1.18, \text{ viz. 2}^{\text{nd}} \text{ blade is 18\% faster}$$

$$\tau_0 = -27.7 \text{ ms}$$

$$\text{LinearModel} = \varphi_i \times \text{ExposureMap}(i, j), \text{ with}$$

$$\text{ExposureMap}(i, j) = T_j + \tau_0 + \kappa \gamma_i$$

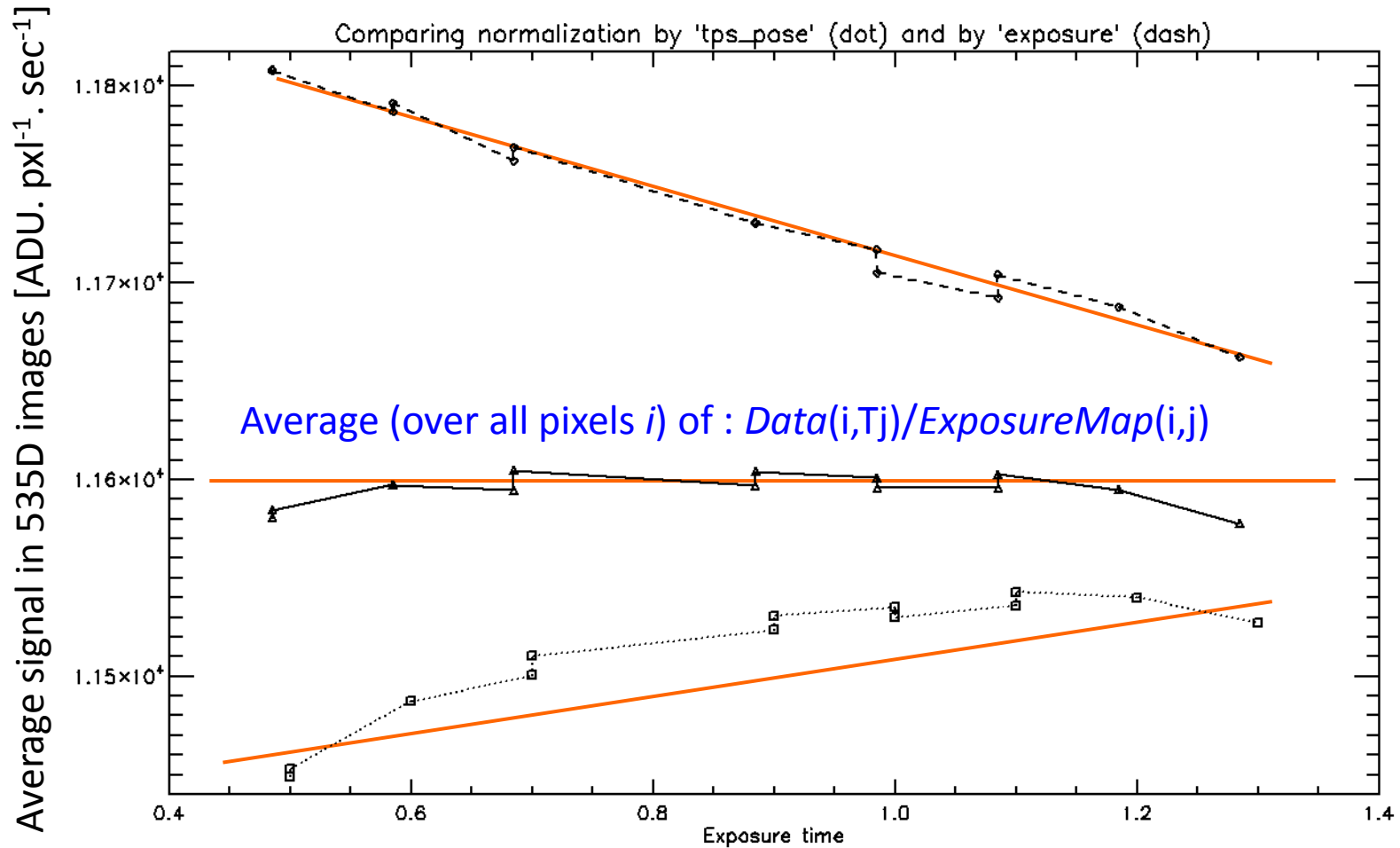
Extra exposure time due to the shutter



3. Residual non linearity

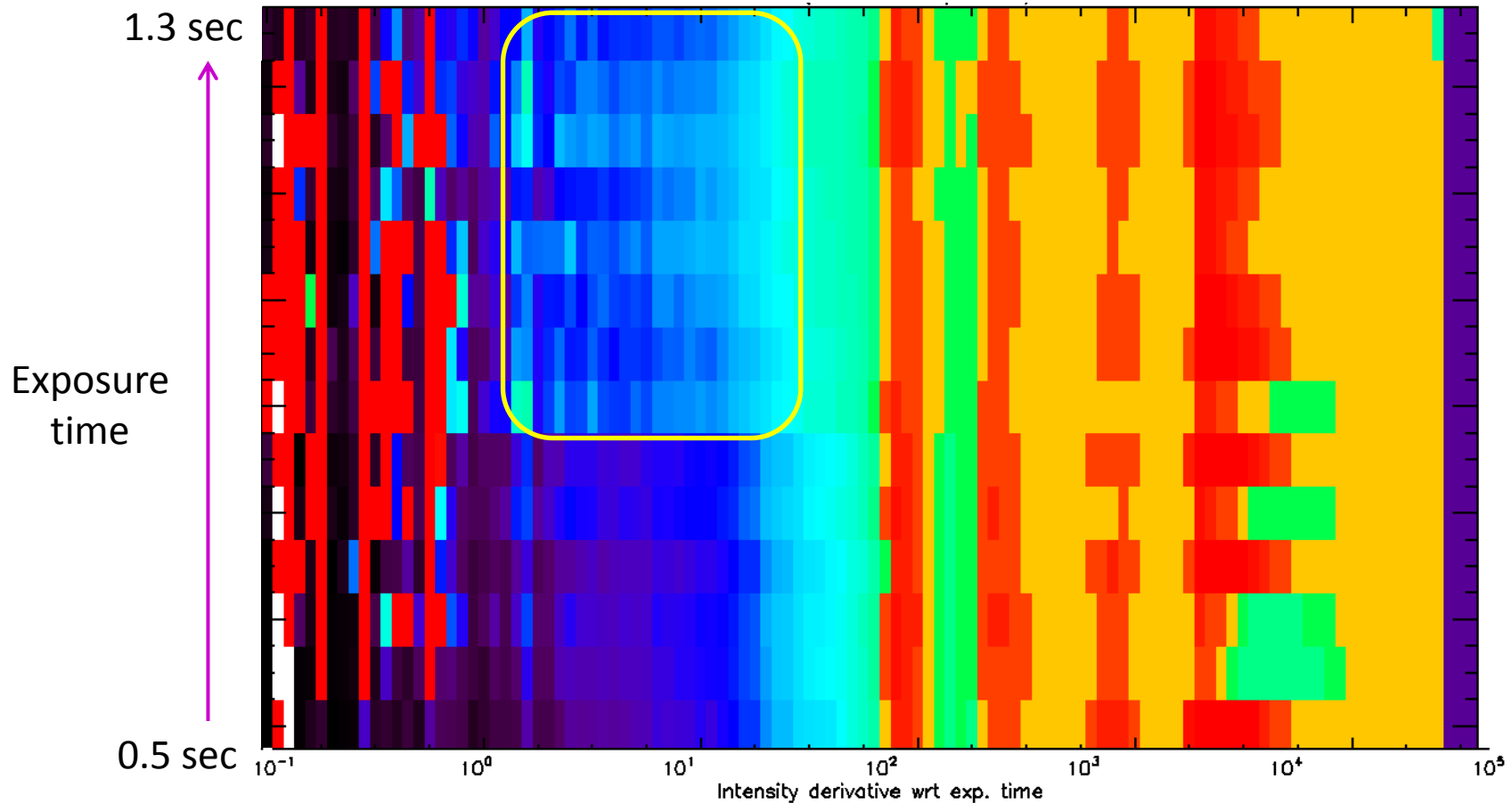
1. Dependency on exposure time - correct
2. Limits of the linear model
3. Model of the CCD non linearity

No more dependency on exposure time (almost)

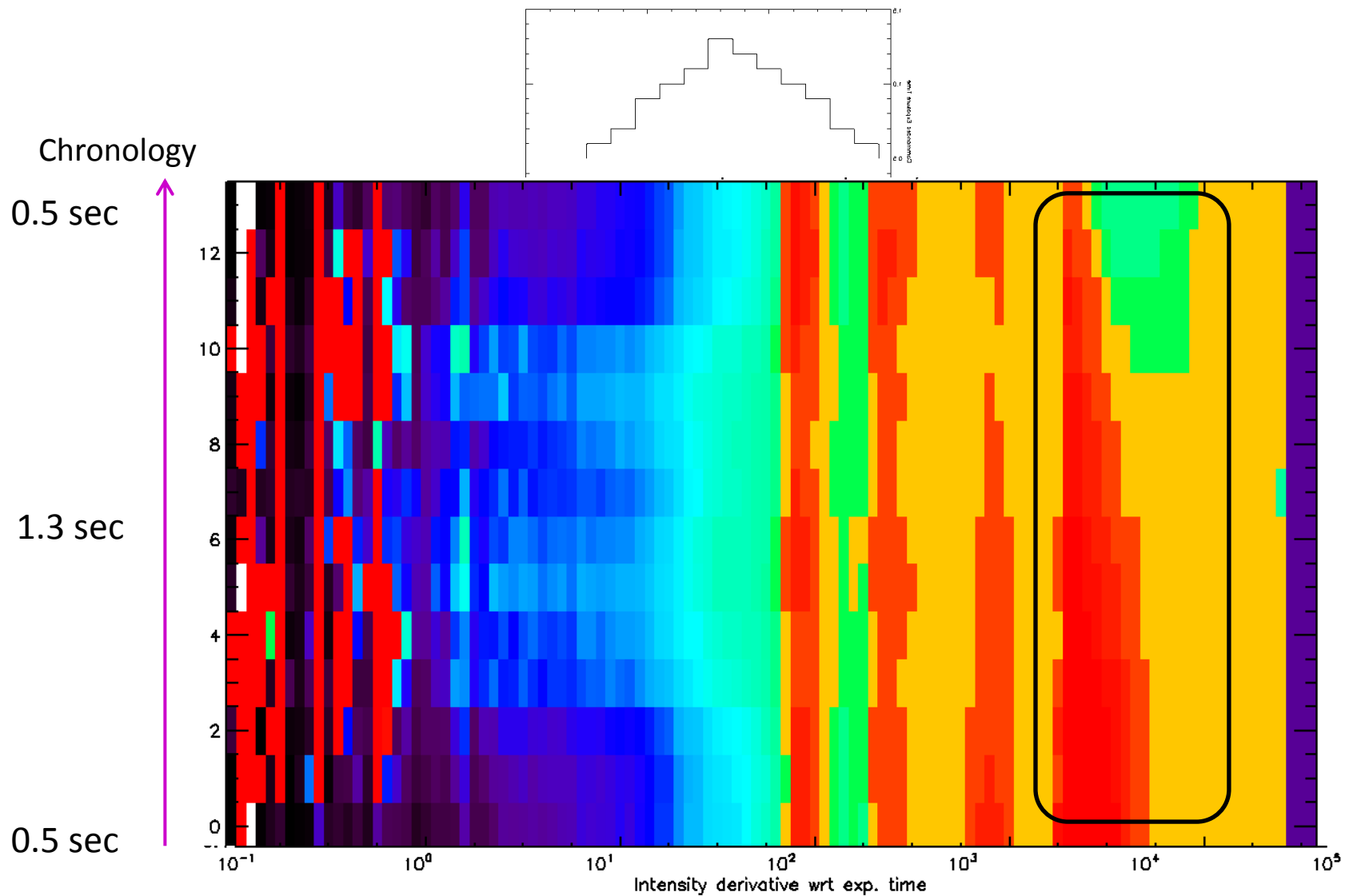


Observational data / Linear Model Ratio [1/4]

Histogram equalized ok, but should be flat & unstructured

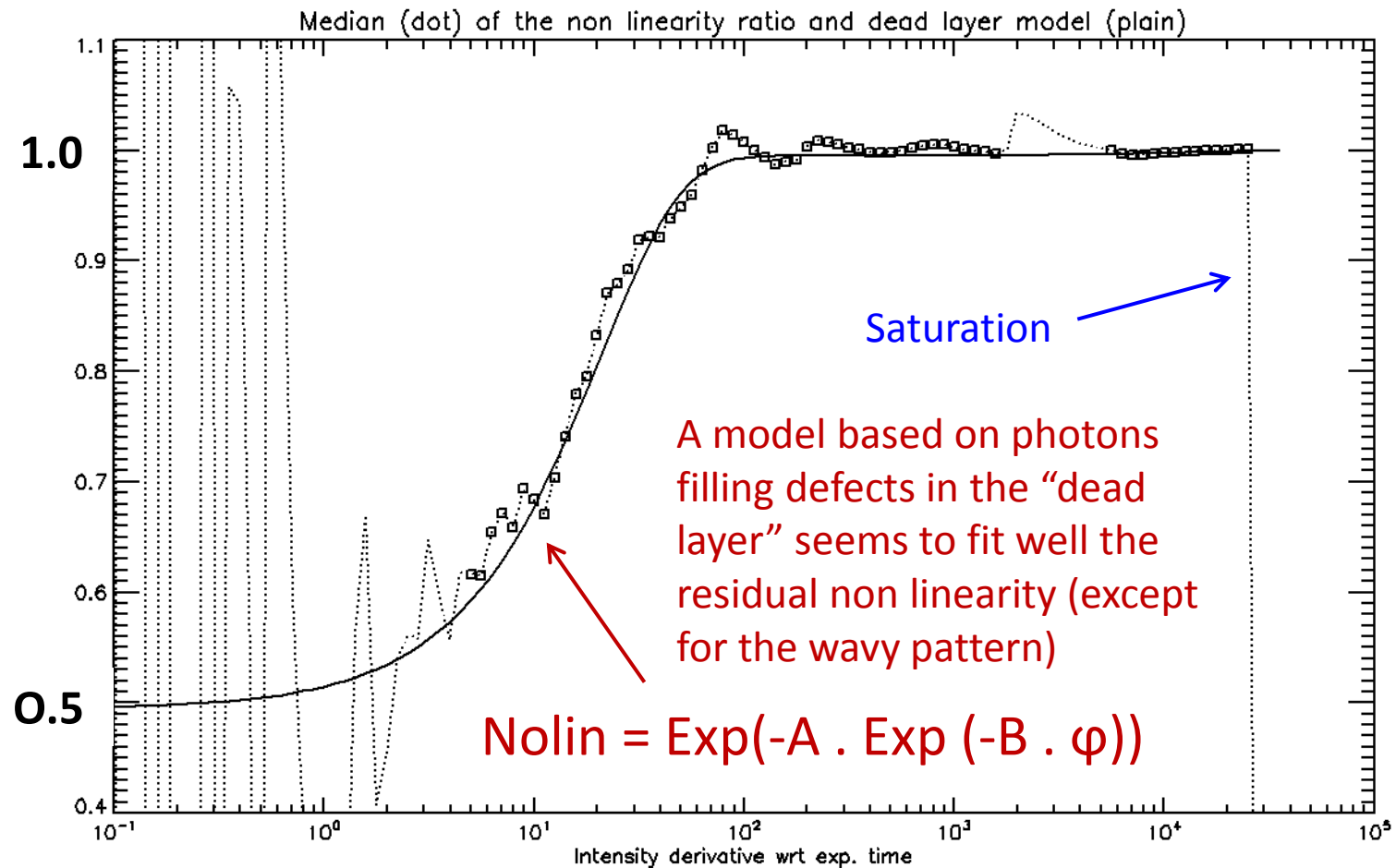


Observational data / Linear Model Ratio [2/4]



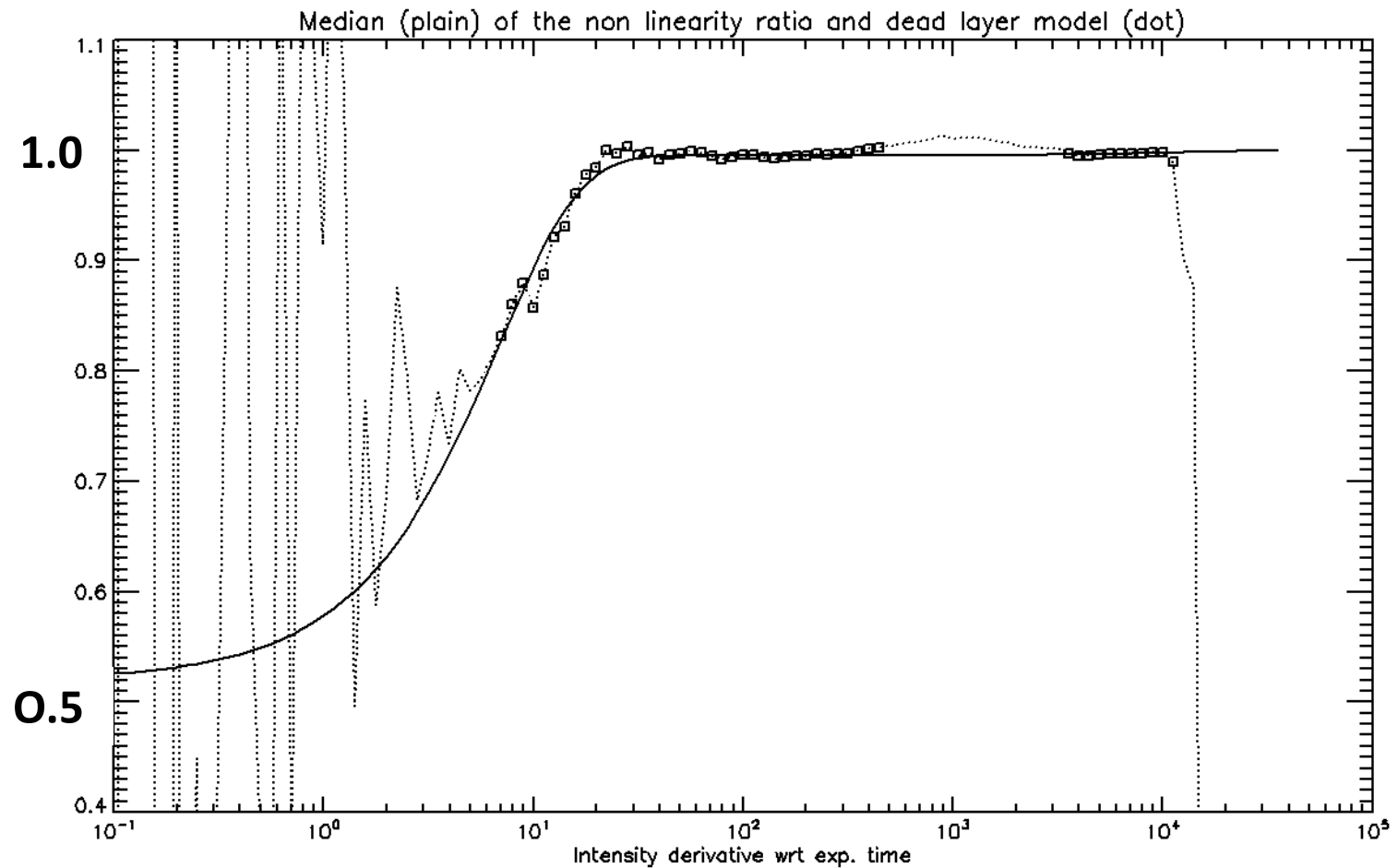
Observational data / Linear Model Ratio [3/4]

535nm (535D)



Observational data / Linear Model Ratio [4/4]

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Conclusion

- Shutter effect
 - Needs to be corrected, as it otherwise adds false signal
 - 3% locally for a 1 sec commanded exposure
 - Especially important around solar disc center
 - Avoidable *via* CCD or CMOS-APS integration within shutter opening
- CCD non linearity
 - Critical effect below 100 ADU/s
 - Non linearity will affect
 - Scattered light removal
 - Estimation of the bottom part of the radial profile (esp. corner images)
 - Laboratory studies desirable (reality of waves) → EUV
- Do vary exposure in flight