Modelling TSI with a Monte Carlo simulation of Active Region Decay

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Outline

- * Our TSI model
- Modifications
- Optimization
- Reconstruction to the Maunder Minimum
- Conclusions and future work

- * Crouch et al. (2008) ApJ, 677:723.
- Injection of observed spots

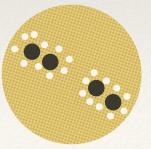
Injection



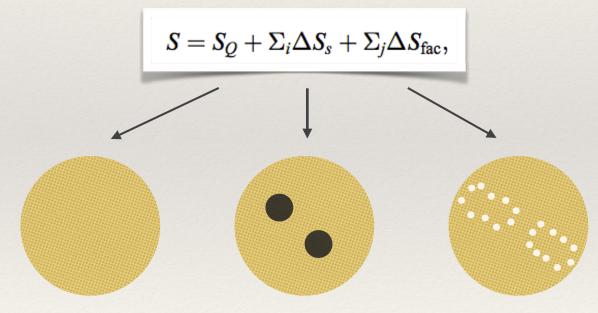
Fragmentation —> Spots and Faculae



Monte Carlo



- * Crouch et al. (2008) ApJ, 677:723.
- Calculation of irradiance

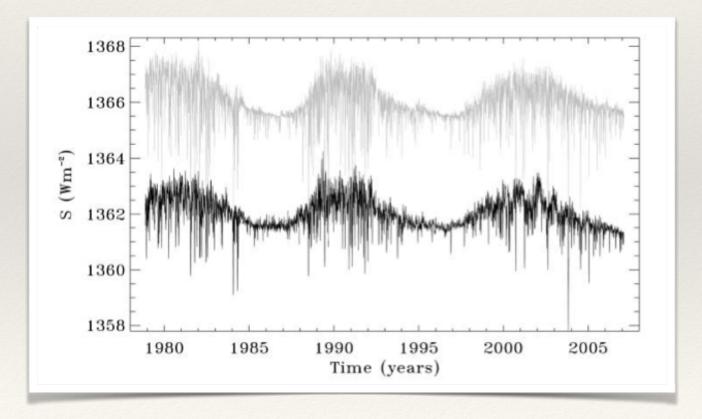


- * Crouch et al. (2008) ApJ, 677:723.
- Calculation of irradiance

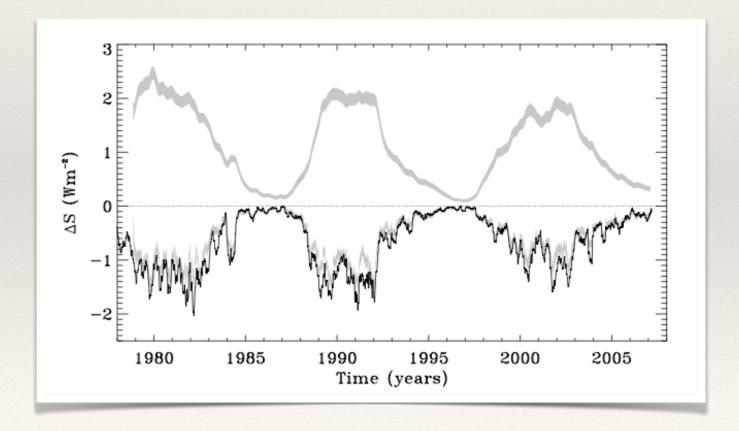
 $S = S_Q + \Sigma_i \Delta S_s + \Sigma_j \Delta S_{
m fac},$

- Next time step: fragments+new emergences
- * Faculae follow an exponential decay
- Backside emergences: stochastically

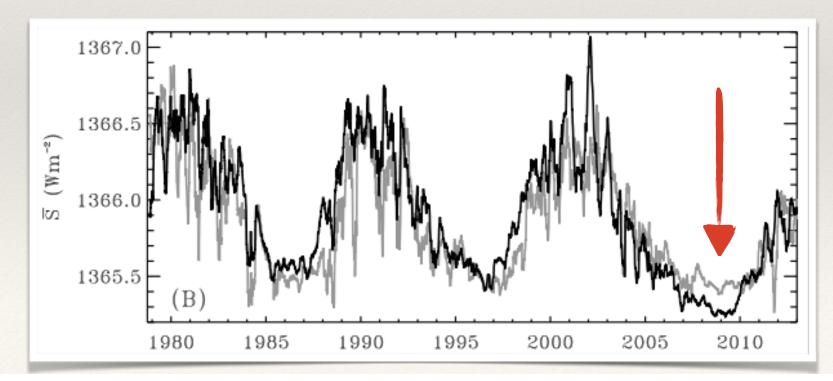
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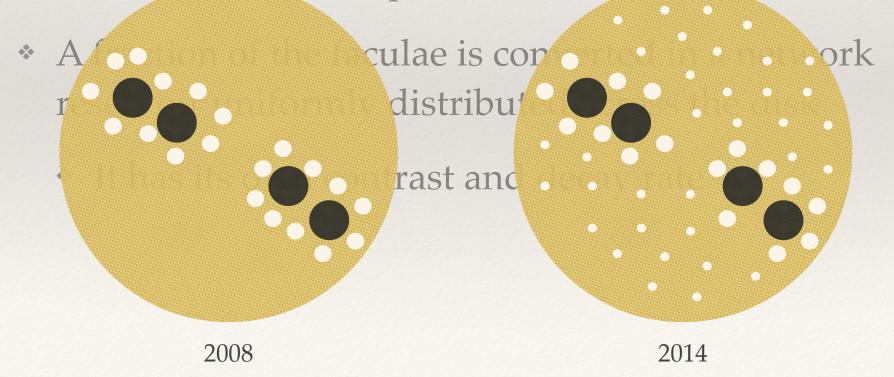


- * Problem 1: underestimate TSI during ascending phase
- * Problem 2: minimum between Cycle 23 and 24
- * No magnetic network in our model

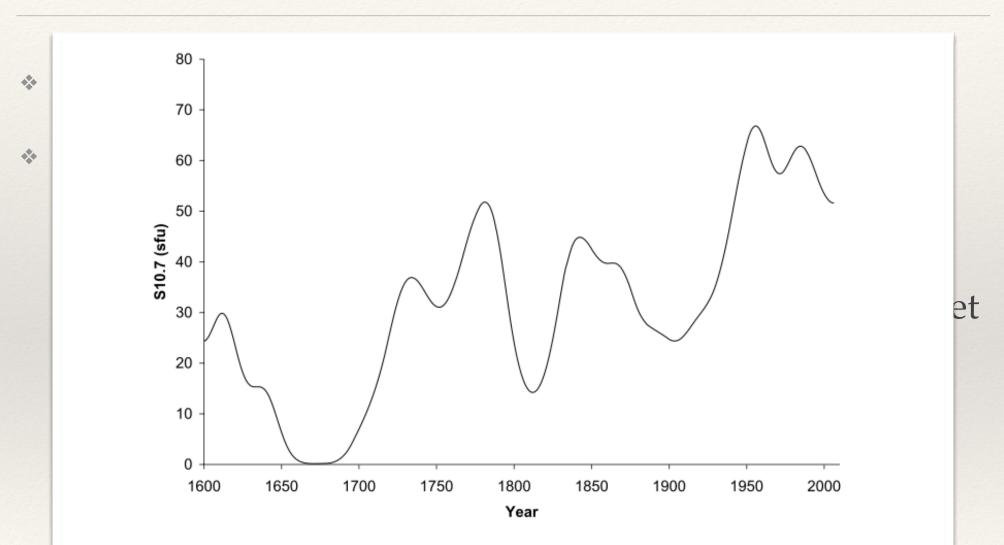


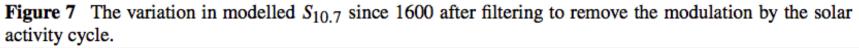
- * Problem: minimum between Cycle 23 and 24
- * No magnetic network in our model
 - * Add a network component
 - * A fraction of the faculae is converted in a network reservoir uniformly distributed across the disk
 - * It has its own contrast and decay rate

- * Problem: minimum between Cycle 23 and 24
- * No magnetic network in our model
 - * Add a network component



- * Problem: minimum between Cycle 23 and 24
- * No magnetic network in our model
 - * Add a variable Quiet Sun component
 - Based on F10.7 reconstructions, smoothed (Tapping et al. 2007, Sol. Phys., 246:309)



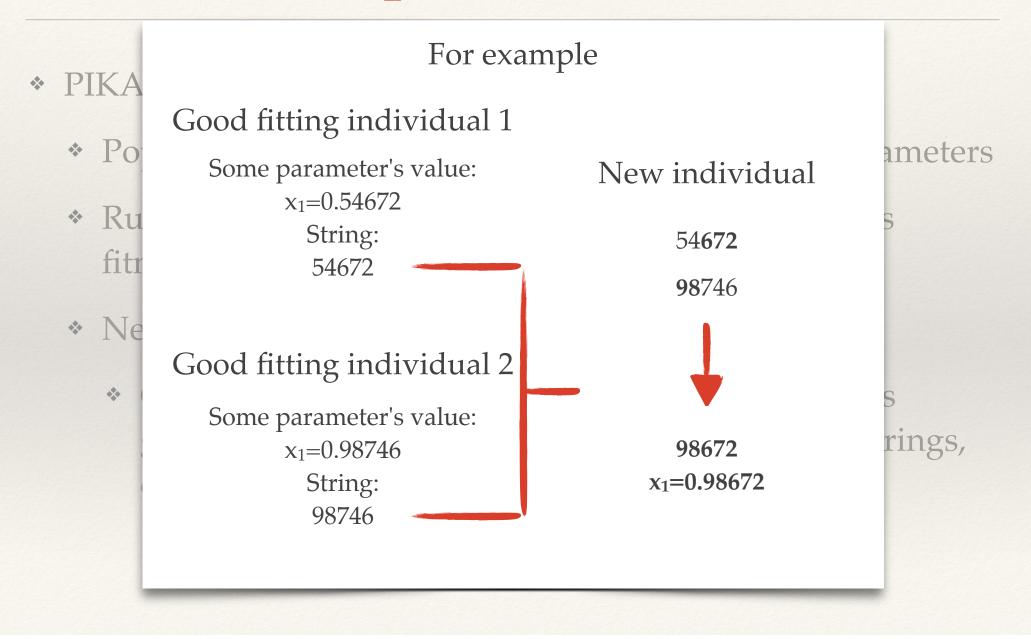


* 6 free parameters in the original model:

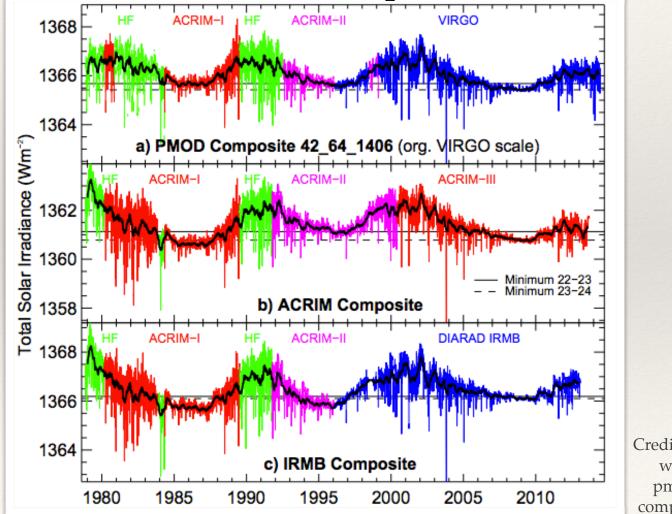
TABLE 1 Model Parameters			
Description	Symbol	Free/Fixed	Value/Allowed Range
Fragmentation chances per day per element	(none)	Fixed	2
Fragmentation range	(none)	Fixed	0.1-0.9
Fragmentation probability	$p_{\rm frag}$	Free	0-1
Threshold radius for large-scale elements	r_{ℓ}^{*}	Fixed	250 km
Maximum radial thickness of the eroded annulus	$r_{\rm erode}^{*}$	Free	100 km – 2 Mm
Area conversion efficiency	η	Free	0-1
Decay rate for small-scale elements	λ	Free	0-0.5
Faculae intensity contrast	$\alpha_{\rm fac}$	Free	0.018-0.072
Threshold radius for sunspots	r_s^*	Fixed	1 Mm
Quiet-Sun irradiance (and intercept of linear trend)	$S_Q, S_{Q,c}$	Free	1365-1366 W m ⁻²
Gradient of Quiet-Sun irradiance linear trend	$S_{Q,m}$	Free and fixed	[-1, 1] W m ⁻² over 1978-2007
Collective threshold radius for small-scale elements	r_t^*	Fixed	25 km

- 6 free parameters in the original model
- * We add 3 (4) more:
 - Fraction of faculae converted into "network" (BR)
 - * "Network" decay rate (λ_{disk})
 - * "Network" contrast (α_{disk})
 - * Variable quiet Sun factor ($C_{10.7}$)

- PIKAIA (get it here! http://www.hao.ucar.edu/modeling/pikaia/pikaia.php)
 - Population of 200 models with randomly chosen parameters
 - Run each model, compares to observations, calculates fitness
 - New generation!
 - Generate new parameters by "mixing" the previous generation population's parameters (encoded as strings, cut, then re-assembled)

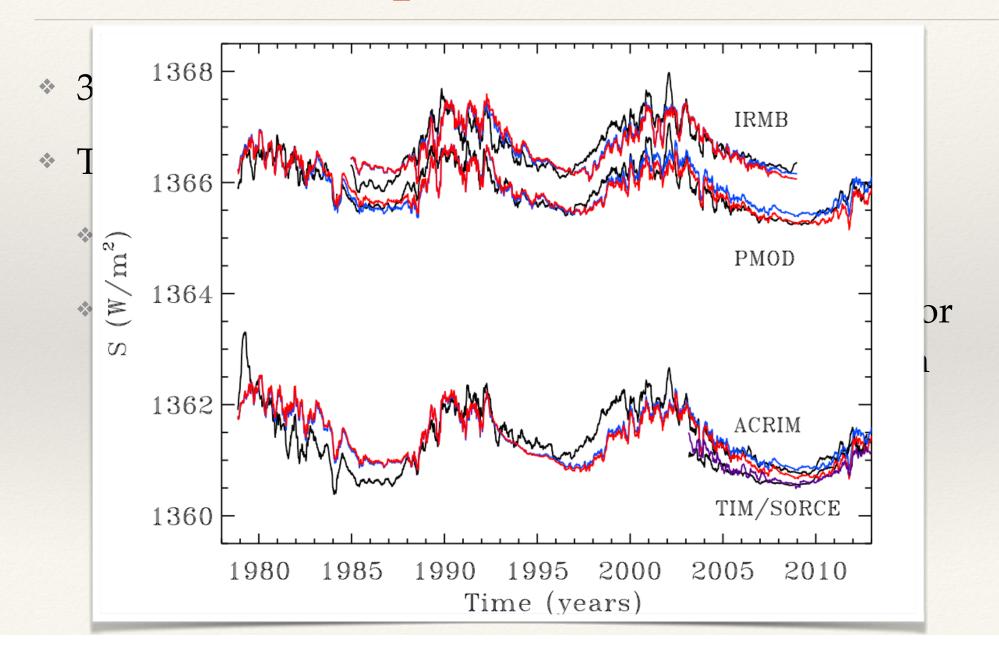


3 different TSI observation composites available

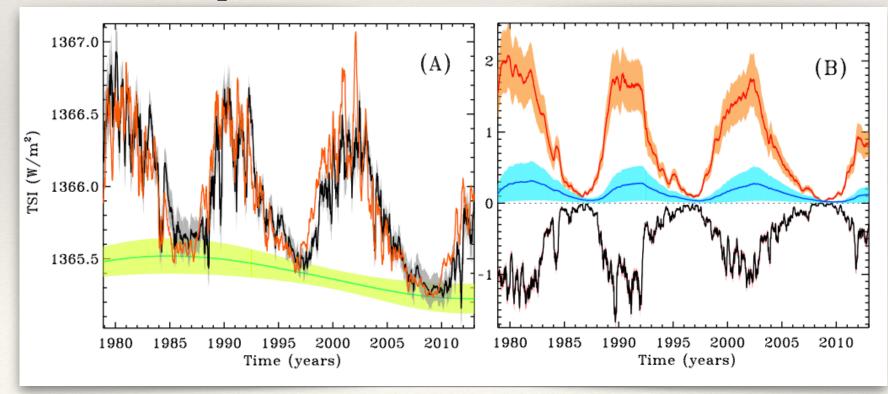


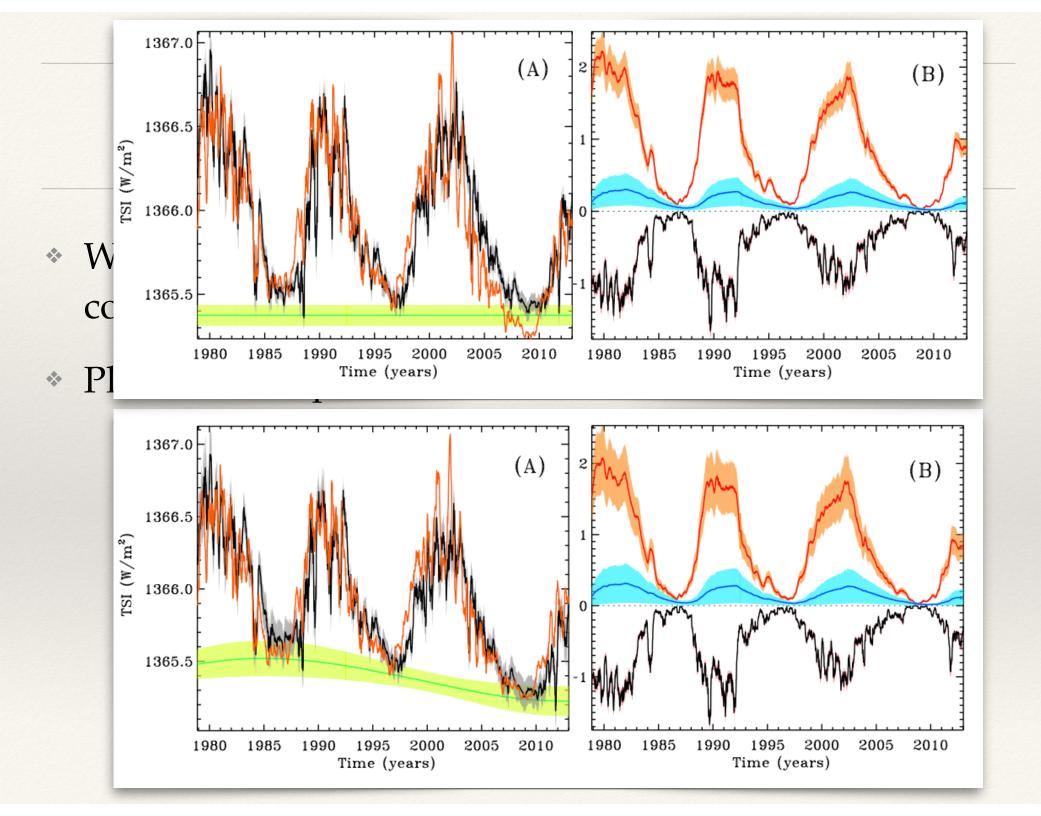
Credit: C. Fröhlich, http:// www.pmodwrc.ch/ pmod.php?topic=tsi/ composite/SolarConstant

- * 3 different TSI observation composites available
- TIM data
 - Optimization of parameters with each of them
 - Ten PIKAIA runs each time with different seeds for random number generator —> Errors bar on each value

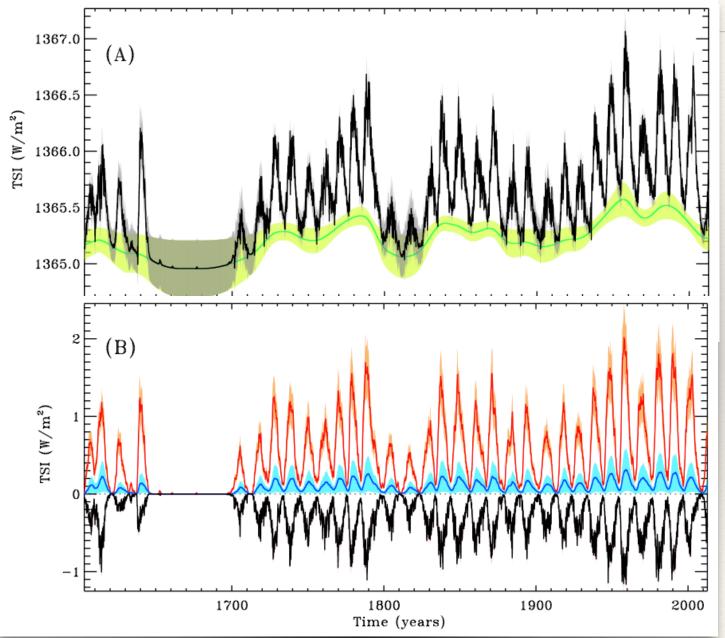


- We use set of parameters determined with the PMOD composite
- Plot each component's contribution to the TSI





Reconstruction to the Maunder Minimum



Conclusion and future work

- Our model succeeds best in reproducing the PMOD composite
- The network contribution does not help reproducing the 2009 minimum
 - * The variable quiet Sun does!
- Future: include this network representation in MOCASSIM



Special thanks to
Paul Charbonneau
Anne Boucher

More equations for TSI

$$\frac{\Delta S_s}{S_Q} = \frac{1}{2} \mu A_s (3\mu + 2) \alpha_s,$$

$$\alpha_s = -[0.2231 + 0.0244 \log(A_s \times 10^6)],$$

$$rac{\Delta S_{
m fac}}{S_Q} = rac{1}{2} \mu A_{
m fac} (3\mu + 2) (1/\mu - 1) lpha_{
m fac},$$